| When Arguing is Good Thing: |
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| The Case of Fractions |
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## Analyze this...

$$
15 / 6 \div 1 / 3
$$

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$\qquad$
a)6/33
b) $11 / 18$
c) $51 / 6$
d) $51 / 2$
$\qquad$

## Use errors as springboards to learning

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When students are taught through the $\qquad$ Standards for Mathematical Practice of the Common Core there is a $\qquad$ fundamental shift in what students know and can do - even their errors $\qquad$ are affected. We must be prepared.

## Goals for this session

- Experience cognitive dissonance using appropriate tasks and plan for their use in classroom instruction.
- Unpack norms supportive of creating environments for rich class discussions.
- Make connections to Mathematical Practices.
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## What classroom norms promote "arguing?"

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- Provide explanations and justifications with all answers.
- Make sense of each other's solutions.
- Say when you don't understand or don't agree.
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## Consider this.

How might grade 6 students taught
$\qquad$ according to the Common Core solve a problem like this?
$21 / 2 \div 1 / 4$
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## Developing Fraction Operations

- Grade 5
- Add/subtract fractions with unlike denominators with and without context using visual models or equations
-Solve word problems involving division of whole numbers leading to answers in the form of fractions.
- Multiply whole numbers or fractions by fractions with and without context using visual models or equations.
- Multiply fractional side lengths of rectangular regions to find the area.


## Developing Fraction <br> Operations (continued)

- Grade 5
- Interpret division of a unit fraction by a non-zero whole number or division of a whole number by a unit fraction and create contexts and use visual models or equations to solve.
- Grade 6
- Divide fractions by fractions with and without context and use visual models or equations to solve.

[^0]
## With which practice were we engaged?

The 8 Standards for Mathematical Practice: $\qquad$
1 Make sense of problems and persevere in solving them
2 Reason abstractly and quantitatively
3 Construct viable arguments and critique the reasoning of others
4 Model with mathematics
5 Use appropriate tools strategically
6 Attend to precision
7 Look for and make use of structure
8 Look for and express regularity in repeated reasoning
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Students are expected to
create contexts for operations
with fractions. What does this
look like and how might it
involve "arguing?"
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\section*{Create a story problem}
\(\qquad\) for the following:

Create a story context for 4/5-1/2.
\(\qquad\)

Begin like this:
"Ed has 4/5 of a pizza leftover...."```


[^0]:    Write an equation to
    represent each problem then use a visual model to solve it.

    1. There is $2 / 3$ of a pizza left over. Jessica ate $3 / 4$ of the leftover pizza. How much of a whole pizza did Jessica eat?
    2. Alex brought $3 / 4$ of a pan of brownies to school. Her friends ate $2 / 3$ of what she brought. How much of the pan of brownies did her friends eat?
    3. The park measured $2 / 3$ of a mile by $3 / 4$ of a mile, what fraction of a square mile is the park?
