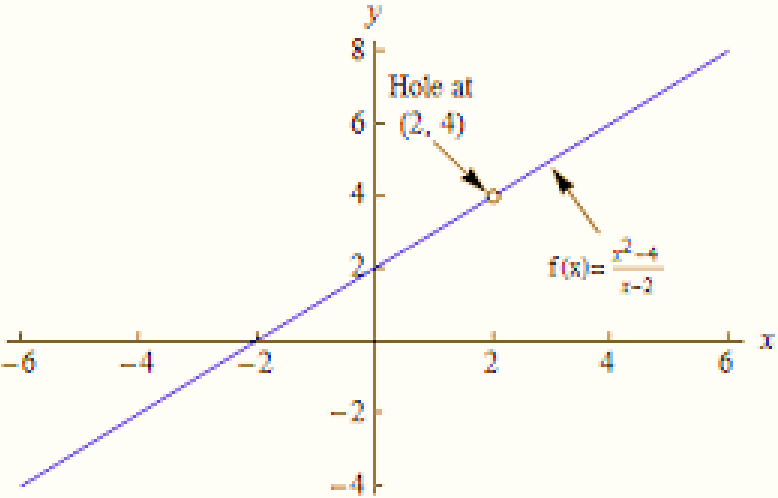
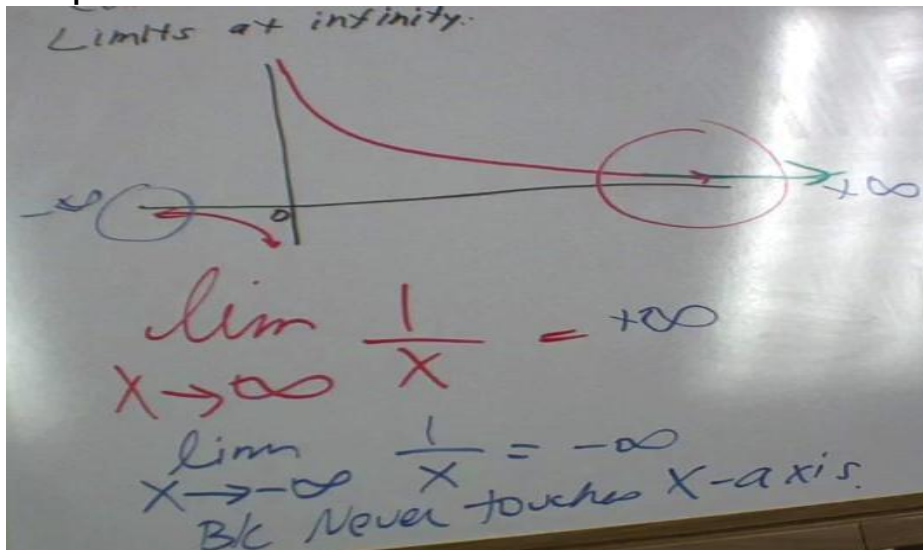


**Anticipation Guide**End of Quarter Calculus Review on Limits

Directions: Pair up with a partner. Write **True or False** in the “**Before**” column. After the lesson, complete the “**After**” column.

| <b>Before</b> | <b>Given Statement</b>   | <b>After</b> |
|---------------|--|--------------|
|               | 1. A limit is a number that represents the behavior of function values.  |              |
|               | 2. A limit “approaches” a function value but never reaches it.   |              |
|               | 3. A limit can never equal a function value because limits are only about what a function is “approaching”.  |              |
|               | 4. When asked to “find the limit”, the limit refers to the x-value under the notation. For instance, $\lim_{x \rightarrow -3^-} \frac{1}{x+3} = -\infty$ , the limit is -3 in this case. |              |
|               | 5. The arrow in the limit notation implies direction from the left only. For example: $\lim_{x \rightarrow 2} \frac{1}{(x-2)}$ means as x approaches 2 from the left only.               |              |
|               | <p>6. In the graph below, the limit does not exist because of the hole at (2,4).</p>                 |              |
|               | 7. The infinity symbol $\infty$ represents a very large number.  |              |
|               | 8. If a limit equals infinity, “ $= \infty$ ”, then the limit exists. (Ex: $\lim_{x \rightarrow \infty} 2e^x = \infty$ )   |              |

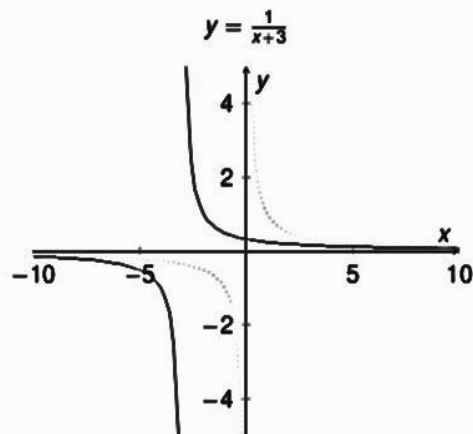
9. The solution and interpretation to the problem below for  $\lim_{x \rightarrow \infty} \frac{1}{x} = \infty$  is correct and hence, a good example of an infinite limit.



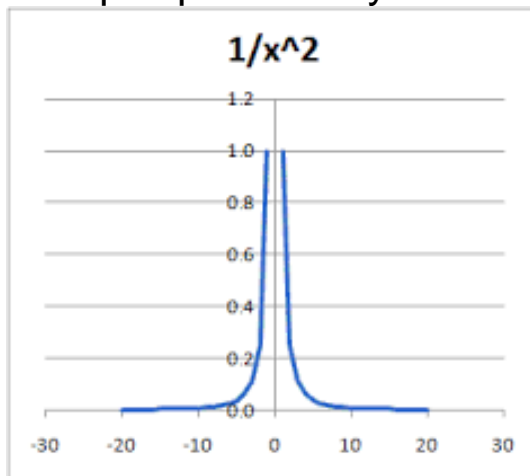
10.  $\lim_{x \rightarrow -3} \frac{1}{x+3} \rightarrow d.n.e.$ , because left hand limit does not equal the right hand limit:  $-\infty \neq +\infty$

The graph of  $y = \frac{1}{x+3}$

This is the graph of  $y = \frac{1}{x}$  shifted left by 3.

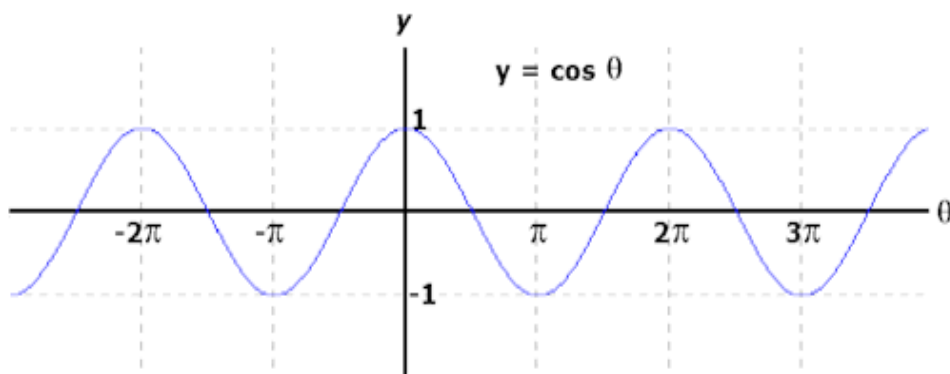


11. Given the graph of  $\lim_{x \rightarrow 0} \frac{1}{x^2}$ , the limit exists and equals infinity, because the left hand limit and right hand limit both equal plus infinity.



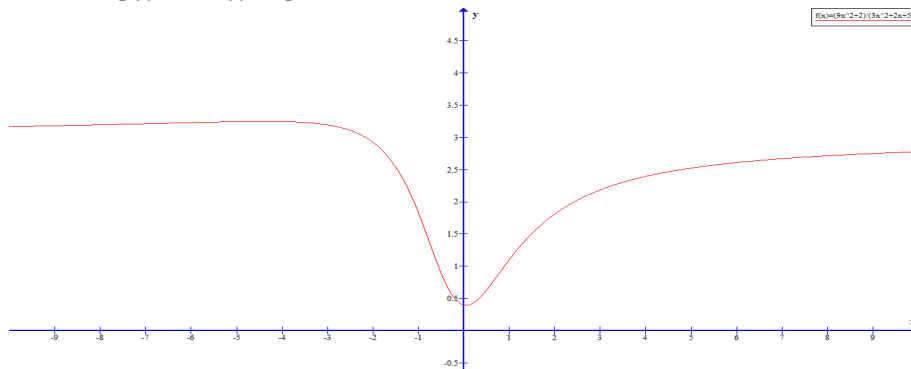
12. In the graph above for  $\lim_{x \rightarrow 0} \frac{1}{x^2}$ , the vertical asymptote at  $x=0$  is a limit because it is like a brick wall that you can't go past.

13. The graph of  $\lim_{\theta \rightarrow \infty} \cos \theta$  has 2 limits: 1 and -1.

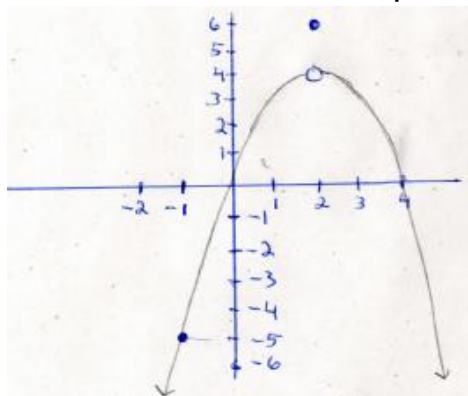


14. The limit is the horizontal asymptote for:

$$\lim_{x \rightarrow \pm\infty} \frac{9x^2 + 2}{3x^2 - 2x + 5}$$



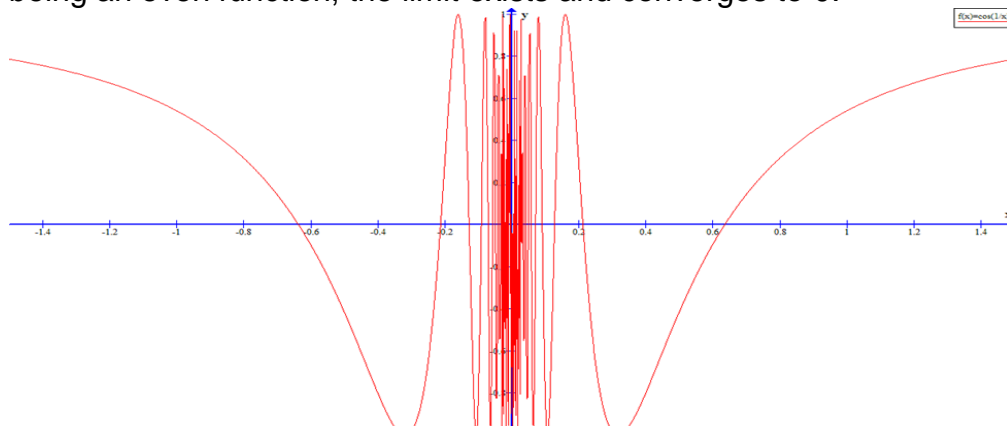
15. The graph below is classified as a quadratic function.



16. Above, the point (2,6) is not on the graph of the function.

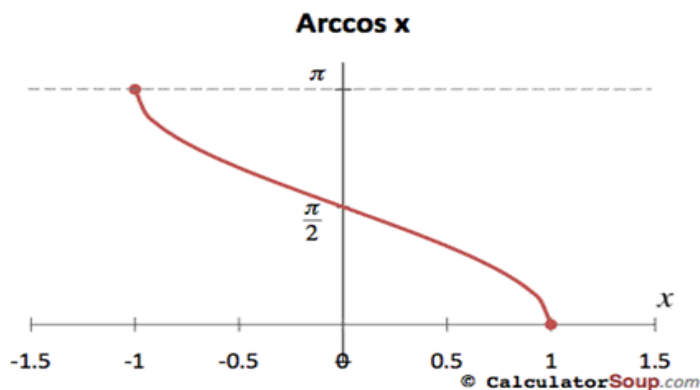
17. The domain of the function above is (0,4) and range is  $(-\infty, 6]$

18. Even though  $\lim_{x \rightarrow 0} \cos \frac{1}{x}$  is not defined at 0, due to symmetry of being an even function, the limit exists and converges to 0.



19. The function on a finite interval domain  $[-1, 1]$ , the limits are  $\pi$  and 0.

$$\lim_{x \rightarrow -\infty} \arccos x = \pi, \text{ and } \lim_{x \rightarrow \infty} \arccos x = 0$$



20.  $\lim_{x \rightarrow 0} \arccos x$ , there is no limit (or hole) at  $\pi/2$  because you can walk right over it.